Scheduling Stochastic Jobs on HPC Platforms (and Beyond)

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HPC Batch Scheduler

<u>Reservation-Based</u>:

Relies on (reasonably) accurate runtime estimation from the user/application
 Intended for HPC jobs with (relatively) *deterministic* and *predictive* behavior



- Job killed; need to resubmit; prolonged completion time
- Waste of system resources



- Job completed early; but may have waited longer in queue than needed
- May waste system resources (if no backfilling possible)

Computing in HPC

Execution Time = Wait Time + Runtime



Figure: Average wait times of jobs run on Intrepid (2009) as a function of requested runtime (data: Parallel Workload Archive).

Stochastic Jobs

- Many scientific applications are *stochastic* and *unpredictable*
 - **Execution time is** *input-dependent* (stochastic)
 - □ Unpredictable even for *same input-size* (quality matters)
 - □ Large variations (order of magnitude difference)
 - Common in *many domains* (e.g. neuroscience, adaptive mesh refinement)



Figure: Traces [2013-2016] of neuroscience apps (Vanderbilt's medical imaging database).

Neuroscience Applications

Range of execution times and I/O traffics for 31 representative neuroscience applications



Coping with Stochastic Jobs

Scheduling Options:

□ System-level solution:

- Abandon reservation-based batch scheduling
- Use online (on-the-fly) scheduling -> not practical

Application-level solution:

- Develop optimized code to reduce stochasticity
- Better resource estimation (e.g., using ML methods) **→** difficult

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Our approach:

- Optimization of expected job execution times
- Non-disruptive to existing HPC scheduling model and application development process

Computing in the Cloud

• Several Pricing Models (e.g., using Amazon AWS)

On-Demand (OD) = pay-what-you-use:

"you pay for compute capacity by the hour or second depending on which instances you run"

Reserved-Instances (RI) = Pay-what-you-reserve:

"provide you with a significant discount (up to 75%) compared to On-Demand pricing"



Models

Job Model: Execution time modeled by a random variable X that follows:
□ Known probability distribution D
□ PDF = f(t) and CDF = F(t)
□ Positive support: X ∈ [min, max]



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• <u>Cost Model</u>: If reserve t_1 time and actual execution is t time:



□ If $t_1 \ge t$, then reservation is enough and job succeeds □ If $t_1 < t$, then job is killed; a new reservation ($t_2 > t_1$) is needed

Optimization Objective

• The objective is to compute a sequence of *increasing reservations*:

$$S = (t_1, t_2, \dots, t_i, t_{i+1}, \dots)$$

that minimizes the *total expected cost*:



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- **Property**: optimal sequence satisfies the following recursive relationship for smooth distributions:

$$t_{i}^{o} = \frac{1 - F(t_{i-2}^{o})}{f(t_{i-1}^{o})} + \frac{\beta}{\alpha} \left(\frac{1 - F(t_{i-1}^{o})}{f(t_{i-1}^{o})} - t_{i-1}^{o}\right) - \frac{\gamma}{\alpha}$$

□ Compute t_i based on t_{i-1} and t_{i-2} (as in Fibonacci numbers)
 □ By default t₀ = 0, it remains to compute t₁
 □ Bounded search range: t₁^o ∈ [min, O(mean + var)]
 □ Complexity of computing optimal t₁^o is unclear (rational solution)

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• Heuristic (Brute-Force): Numerical search of optimal t_1^o in the range $_{10}$

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• Discrete Transformation: truncate and discretize continuous distribution



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• **Dynamic Programming**: for discrete distribution $X \sim (v_i, f_i)_{i=1..n}$

Performance (Common Prob. Distributions)

Distribution	$BF(t_1)$	DP(ET)	DP(EP)	Mean-by-Mean	Mean-Stdev	Mean-Doub.	Med-by-Med
Exponential	2.15	2.31 (1.07)	2.36 (1.10)	2.36 (1.10)	2.39 (1.11)	2.42 (1.13)	2.83 (1.32)
Weibull	2.12	2.40 (1.13)	2.22 (1.05)	2.76 (1.30)	3.58 (1.69)	3.03 (1.43)	3.05 (1.44)
Gamma	2.02	2.20 (1.09)	2.13 (1.05)	2.26 (1.12)	2.18 (1.08)	2.24 (1.11)	2.51 (1.24)
Lognormal	1.85	1.87 (1.01)	1.93 (1.04)	2.19 (1.19)	2.09 (1.13)	1.95 (1.06)	2.30 (1.24)
TruncatedNormal	1.36	1.38 (1.02)	1.36 (1.00)	1.98 (1.46)	1.83 (1.35)	1.98 (1.46)	2.16 (1.60)
Pareto	1.62	1.71 (1.05)	1.66 (1.03)	1.82 (1.12)	2.18 (1.34)	1.75 (1.08)	2.26 (1.39)
Uniform	1.33	1.33 (1.00)	1.33 (1.00)	2.21 (1.66)	1.90 (1.43)	1.67 (1.26)	2.21 (1.66)
Beta	1.75	1.79 (1.02)	1.80 (1.02)	2.02 (1.15)	2.11 (1.20)	1.98 (1.13)	2.45 (1.40)
BoundedPareto	1.80	2.00 (1.11)	1.91 (1.06)	1.84 (1.02)	2.09 (1.16)	1.83 (1.01)	2.81 (1.56)

- Brute-Force (t_1) heuristic has best performance (around 2x of offline optimal)
- Discretization-based heuristics have close performance, much better than other naïve heuristics

Performance (Realistic Workloads)



(a) Fitted **LogNormal** execution-time distribution for the VBMQA jobs



Parameters ($\alpha = 0.95, \ \beta = 1.0, \ \gamma = 1.05$)

based on logs from the Intrepid data



(S) 50000

(c) Performance of all heuristics with impact of varying mean and standard deviation

Future Work

• From User's Perspective (Single Job):

□ How to request runtime along with other resources (#nodes, memory)?

□ Is checkpointing at the end of some/all reservations useful?

<u>Related to HPC fault tolerance</u>: Trade-off between time wasted due to checkpointing and time saved for not having to start from scratch

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• From System's Perspective (Set of Jobs):

- □ Are reservation-based schedulers still suitable for stochastic workloads?
- □ How should scheduling and backfilling be performed (under uncertainty)?
- □ Is it time to consider new scheduling paradigms (e.g., online, hybrid)?
 - <u>Preliminary results</u>: on-the-fly scheduling better for both system-level performance (utilization) and user-level performance (average response time) for single-node stochastic jobs; work-in-progress for multi-node jobs.

Thank you!

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